

臺灣地區隨機式地動模擬技術之工 程應用開發

Jyun-Yan Huang
Kuo-Liang Wen
Chun-Hsiang Kuo
Che-Min Lin
2018.08.28

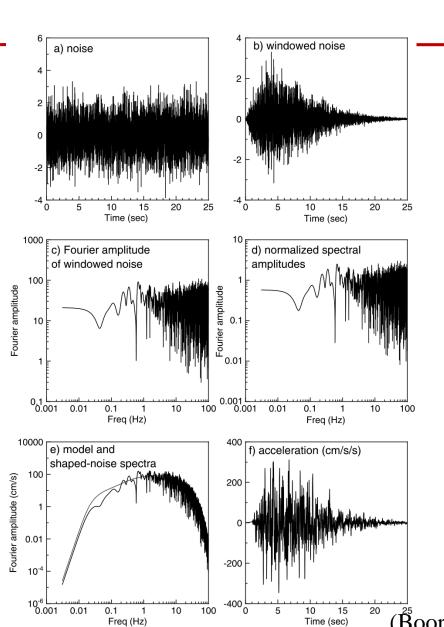
www.narlabs.org.tw



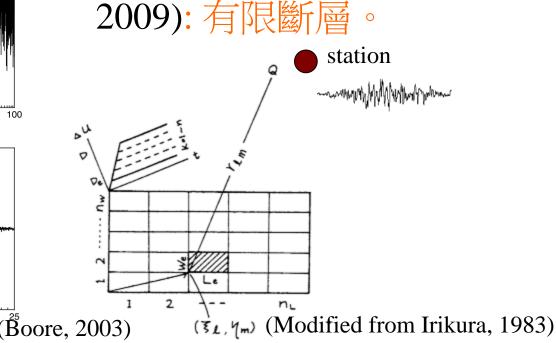
Outlines

- Introductions.
- Site Correction from ETF.
- Applications.

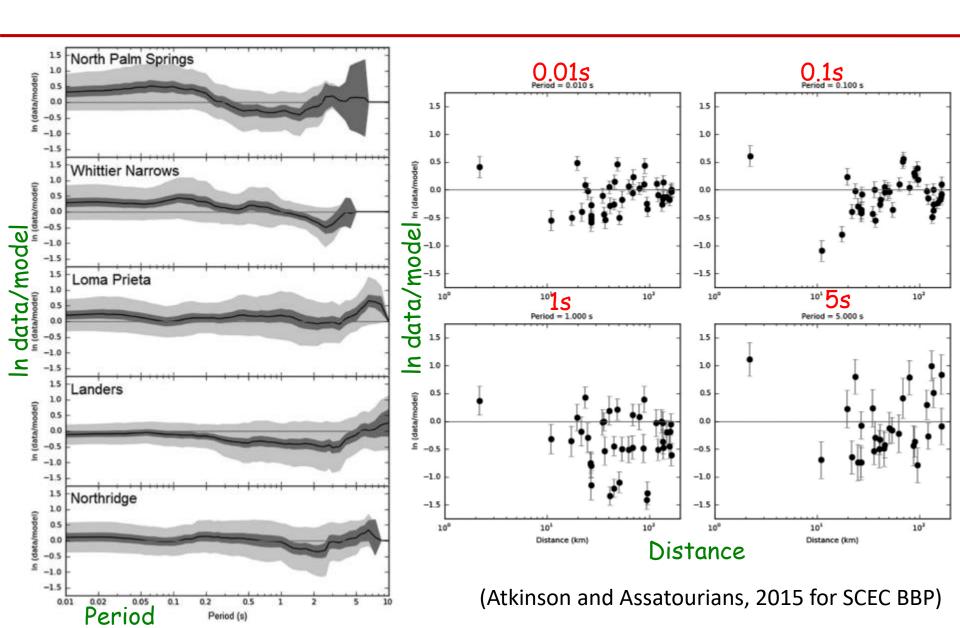




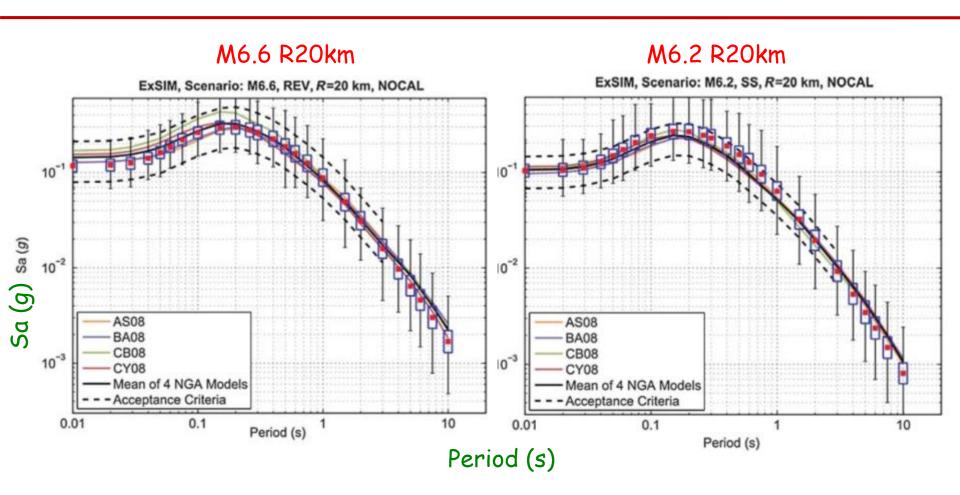
- •SMSIM (Boore, 1983; Boore, 2003; Boore, 2009): 點震源。
- EXSIM (Motazedian and Atkinson 2005; Assatourians and Atkinson 2007; Boore





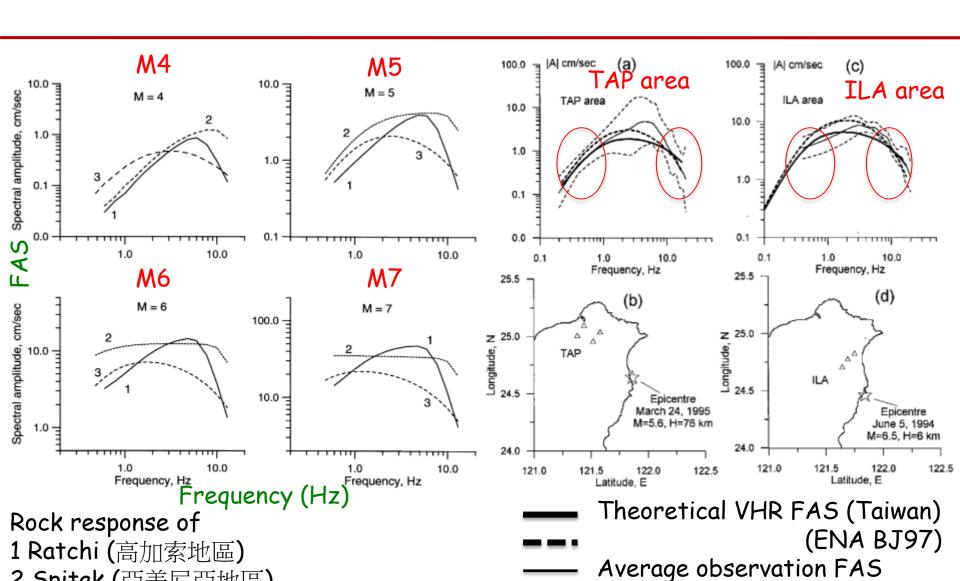






(Atkinson and Assatourians, 2015 for SCAC BBP)





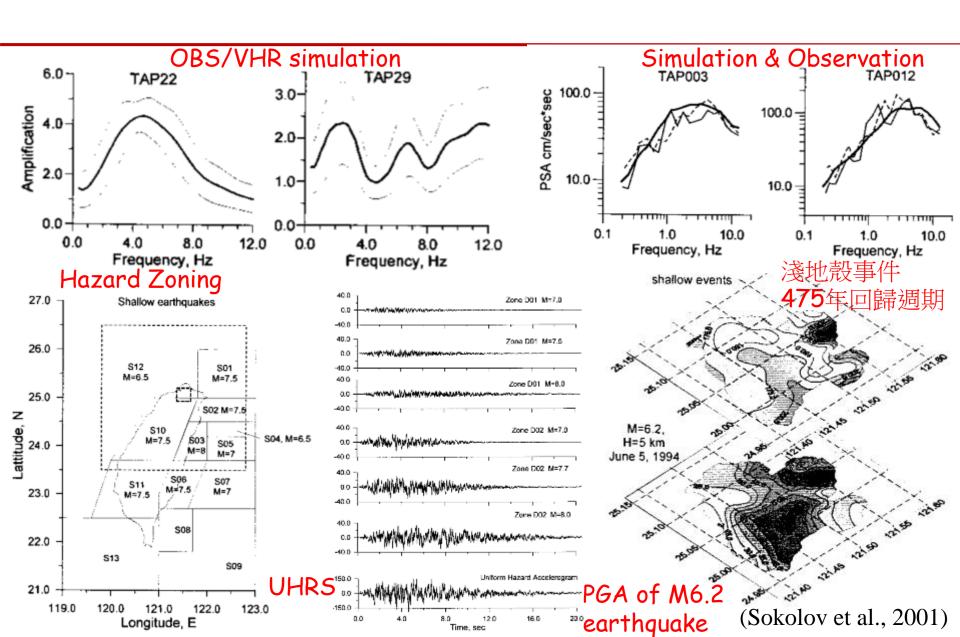
(Sokolov, 2000)

2 Spitak (亞美尼亞地區)

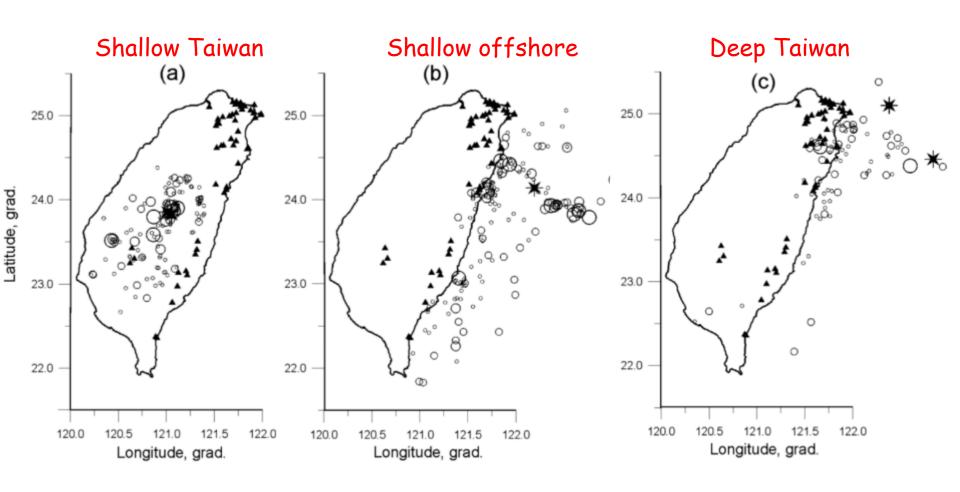
3 Taiwan

(Sokolov et al., 2000)





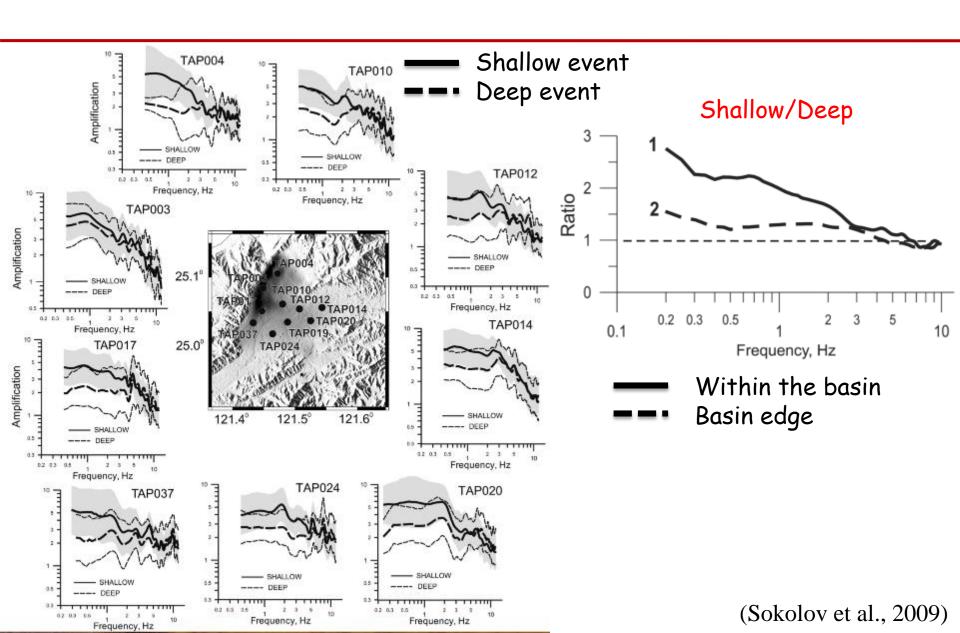




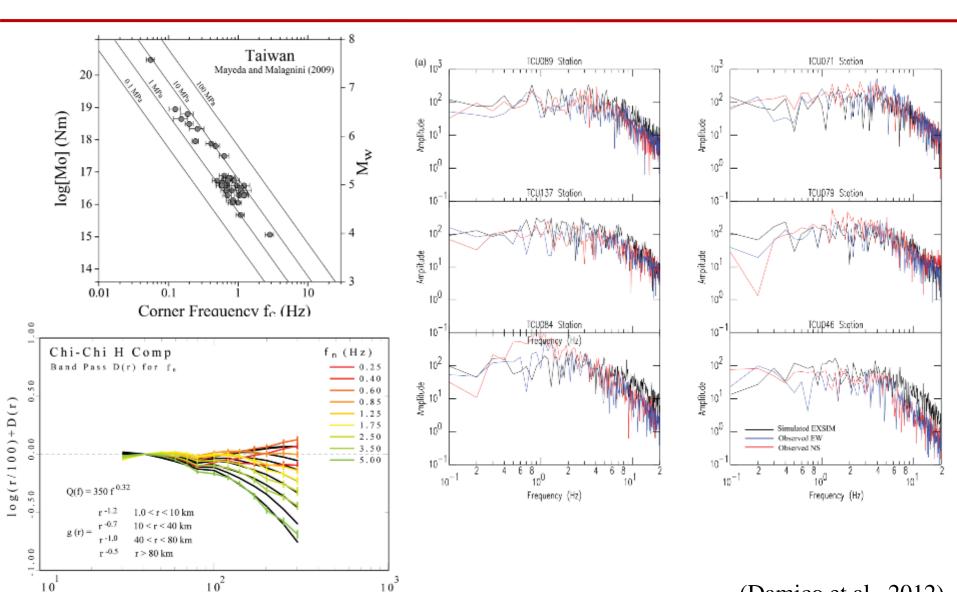
Solve source scaling from different regions with three attenuation models.

(Sokolov et al., 2006)









HYPOCENTRAL DISTANCE (km)

(Damico et al., 2012)



• Review the FAS/PSA based methods for Taiwan.

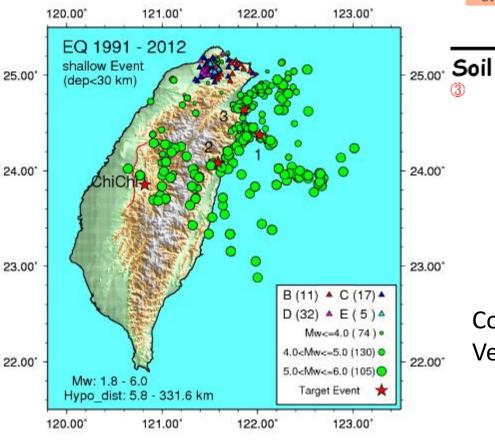
Parameters	Sokolov et al. (2009)	D'amico et al. (2012)	Huang et al. (2017)	
Source spectrum model	Single corner	Single corner	Single corner	
	frequency ω ⁻²	frequency ω ⁻²	frequency ω ⁻²	
Stress parameter, Δσ (bars)	Zone ST: increase from 100 for M=5.0 to 300 for M=7.0 Zone SO: 100 Zone DT: 300	Mw =5.5, 60 Mw =6.5, 80 Mw =7.6, 90	Mw <5.5, 60 5.5 <mw 80<br="" <6.5,="">Mw >6.5, 90</mw>	
Shear-wave velocity, β _S (km/s)	3.6	3.2	3.6	
Density, ρ _s (gm/cc)	2.8	2.8	2.8	
Geometric spreading, $\frac{1}{R^b}$: b=	1.0 (1-50km) 0.0 (50-170km) 0.5 (>170km)	1.2 (1-10km) 0.7 (10-40km) 1.0 (40-80km) 0.5 (>80km)	1.0 (1-50km) 0.0 (50-170km) 0.5 (>170km)	
Quality factor, Q	Zone ST: 80f ^{0.9} Zone SO: 120f ^{0.8} Zone DT: 60f ^{1.0}	350f ^{0.32}	Zone ST: 80f ^{0.9} Zone SO: 120f ^{0.8} Zone DT: 60f ^{1.0}	

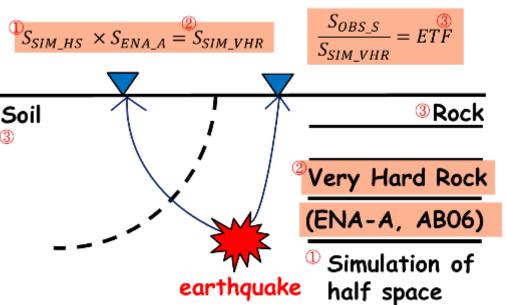
Parameters	Sokolov et al. (2009)	D'Amico et al. (2012)	Huang et al. (2017)
Site amplificatio $n, A(f)$	-	Boore & Joyner (1997) Generic Rock (Vs30=520m/s) Generic Soil (Vs30=270m/s)	ENA-A Empirical Transfer Function (ETF)
Kappa, κ_0 (sec)	0.01	0.05	0.01
Duration	-	-	Lee et al. (2015) Combined duration source, duration path and duration site in one equation
Generated model for validation	FAS	PGA, FAS, PSA for Chi-Chi earthquake data	PGA, FAS for shallow earthquake including Chi-Chi data
Purpose	Construct a VHR response and compared site response for shallow and deep earthquakes	Construct stochastic simulation model based on small earthquake database, validation with Chi-Chi earthquake data	Construct ETF as site corrected method for stochastic simulation

?



Empirical Transfer Function (ETF) based site correction of stochastic simulation (Huang et al., 2017).





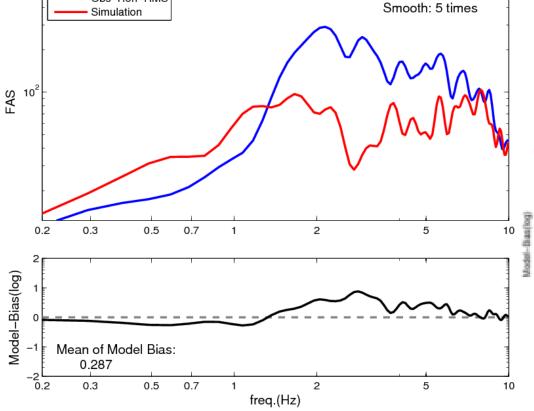
Constructing shallow ETF based on Very Hard Rock response.

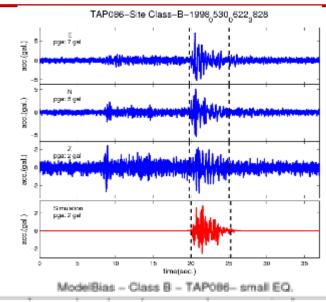


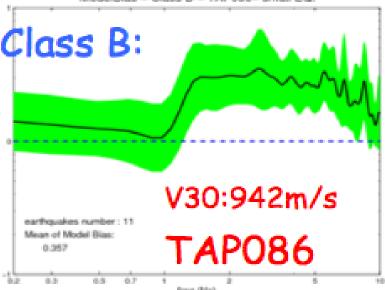
Empirical Transfer Function (ETF) based site correction of stochastic simulation (Huang et al., 2017).

Obs-Hori-RMS

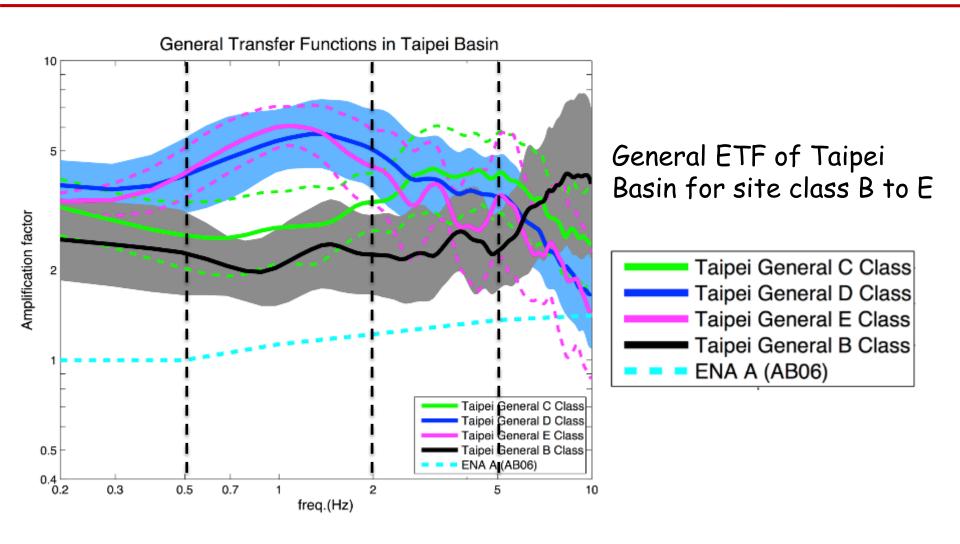
TAP086-FAS-Site Class-B-1998,530,622,828 -EQ.







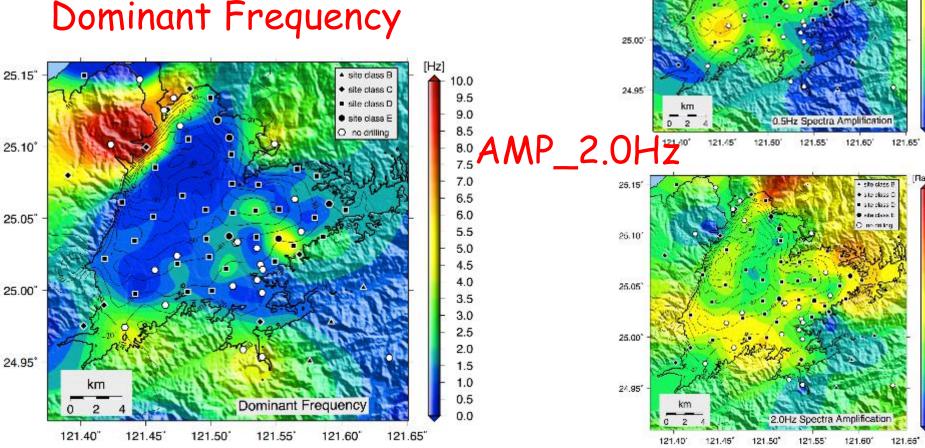




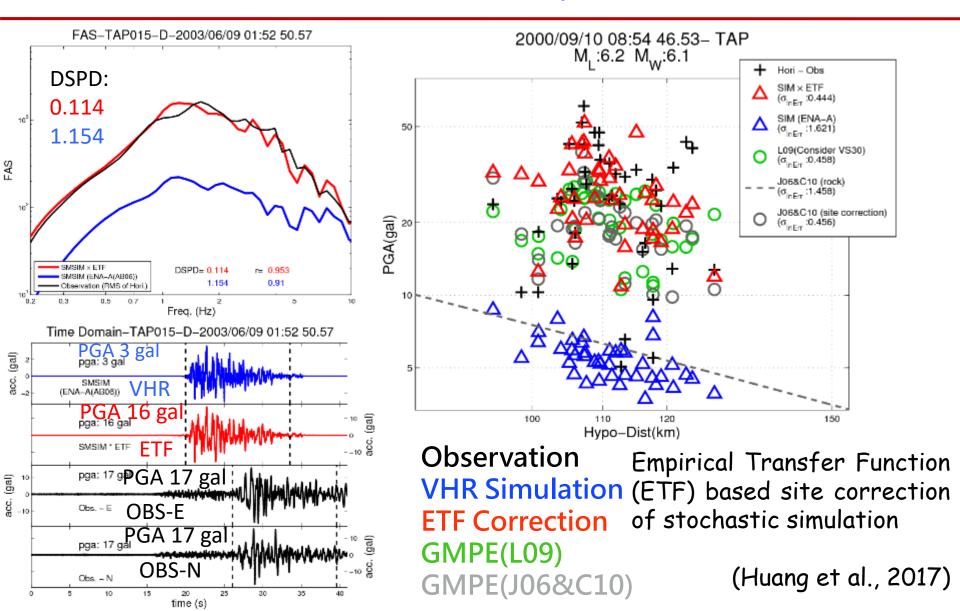
(Huang et al., 2017)



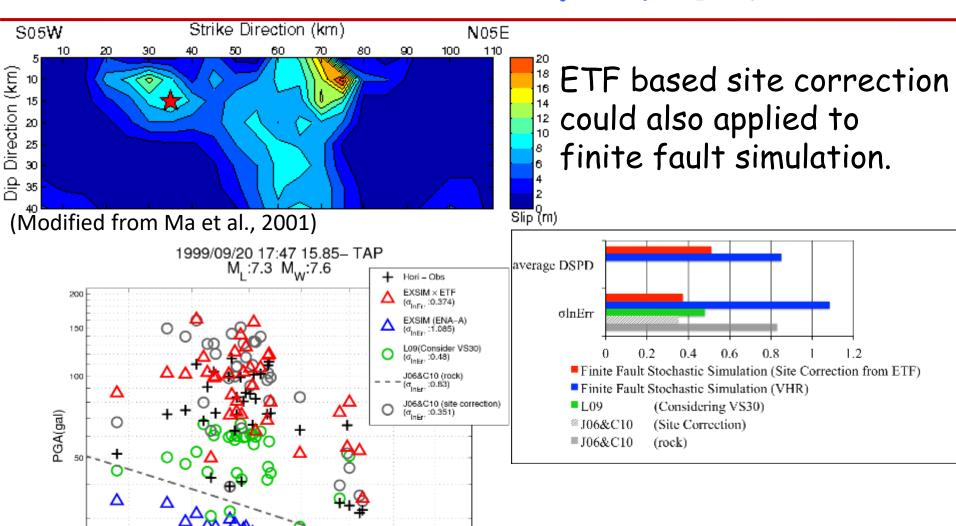
Empirical Transfer Function (ETF) based site correction of stochastic simulation (Huang et al., 2017).











20

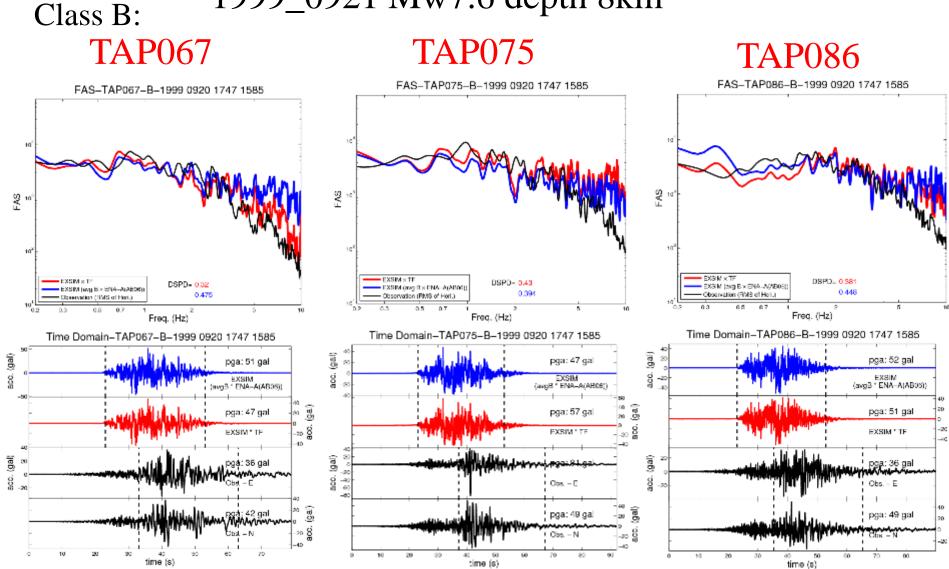
100

Rupture-Dist(km)

(Huang et al., 2017)

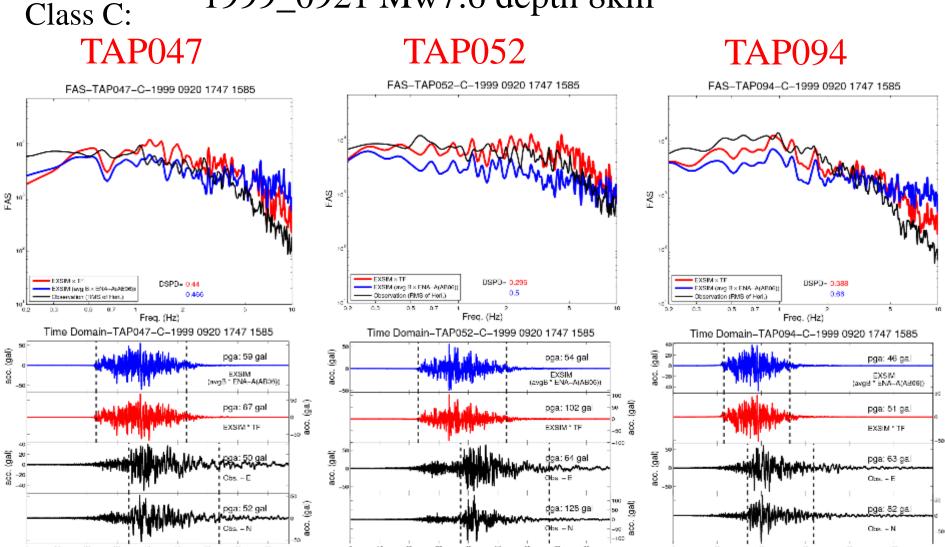


1999_0921 Mw7.6 depth 8km





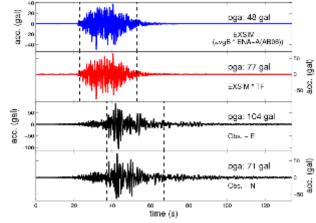
1999_0921 Mw7.6 depth 8km

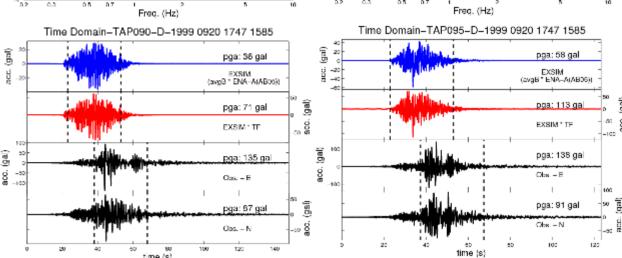




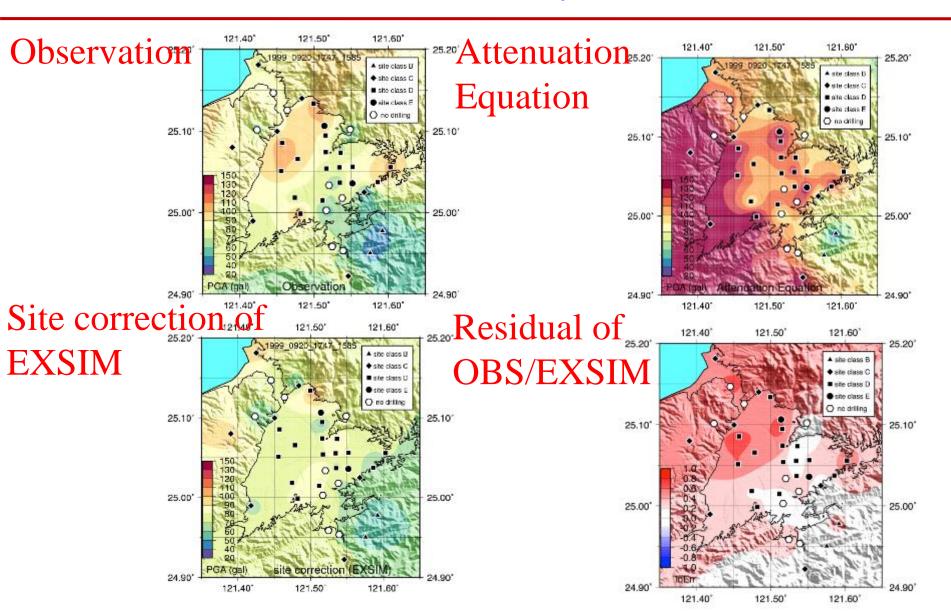
1999_0921 Mw7.6 depth 8km

Class D: **TAP095 TAP007 TAP090** FAS-TAP095-D-1999 0920 1747 1585 FAS-TAP090-D-1999 0920 1747 1585 FAS-TAP007-D-1999 0920 1747 1585 EXSIM (avg 8 × ENA-A(AB06) EXSIM (avg 8 x ENA-A(ABO Observation (PMS of Horl.) Observation (PM/8 of Horl.) Frec. (Hz) Freq. (Hz) Time Domain-TAP095-D-1999 0920 1747 1585 Time Domain-TAP090-D-1999 0920 1747 1585 Time Domain-TAP007-D-1999 0920 1747 1585 pga: 58 gal pga: 36 gal pga: 48 gal EXSIM (avaB * ENA-A(AB06)) (avgB * ENA-A(AB06)) pga: 113 ga pga: 71 gal pga: 77 gal

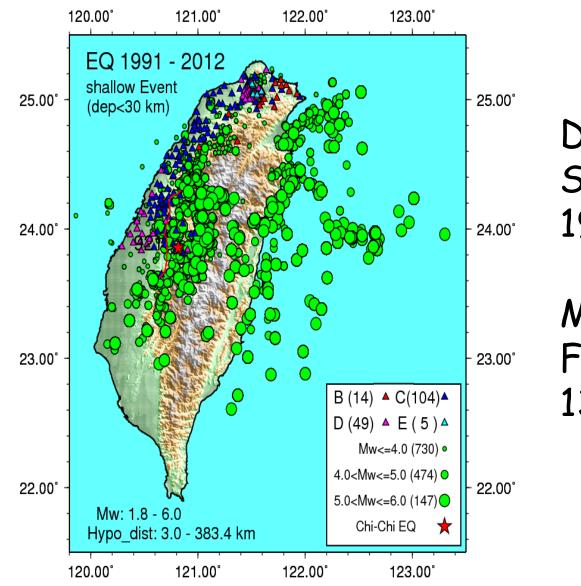








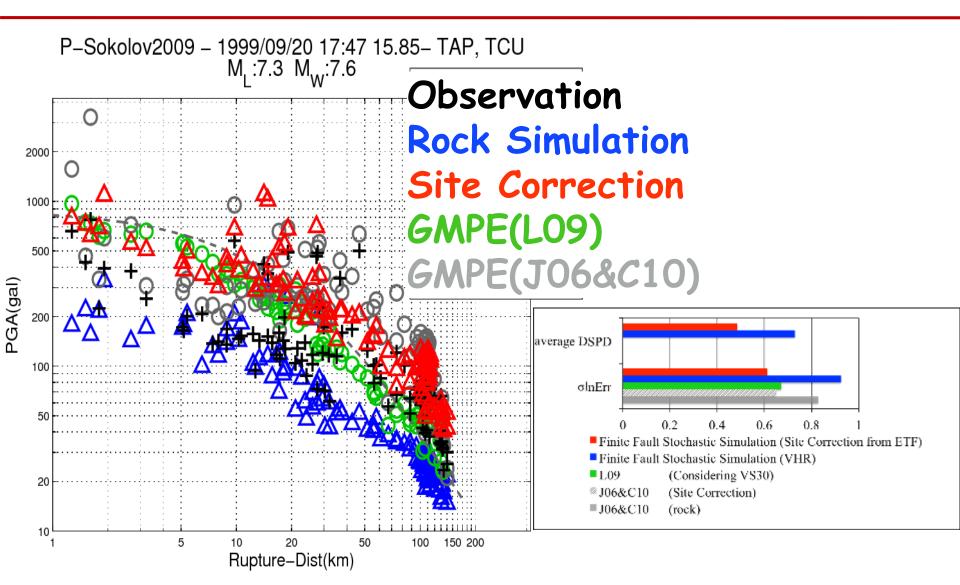




Database of Small earthquake: 1991 ~ 2012

Mw < 6.0 Focal Depth< 30 km 1351 Events





Applications - identify possible ground MARLabs motion range from random asperity model

S05W

Dip Direction (km)

Slip Model- Case 2

Strike Direction (km)

N05E

Slip (ratio)

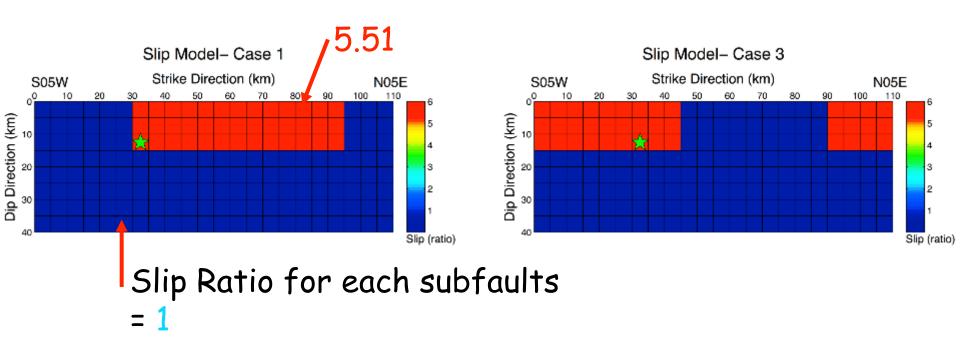
 A_a = 22% * S_a = 968 km² = 39 Subfaults.

Aa: Area of Asperity.

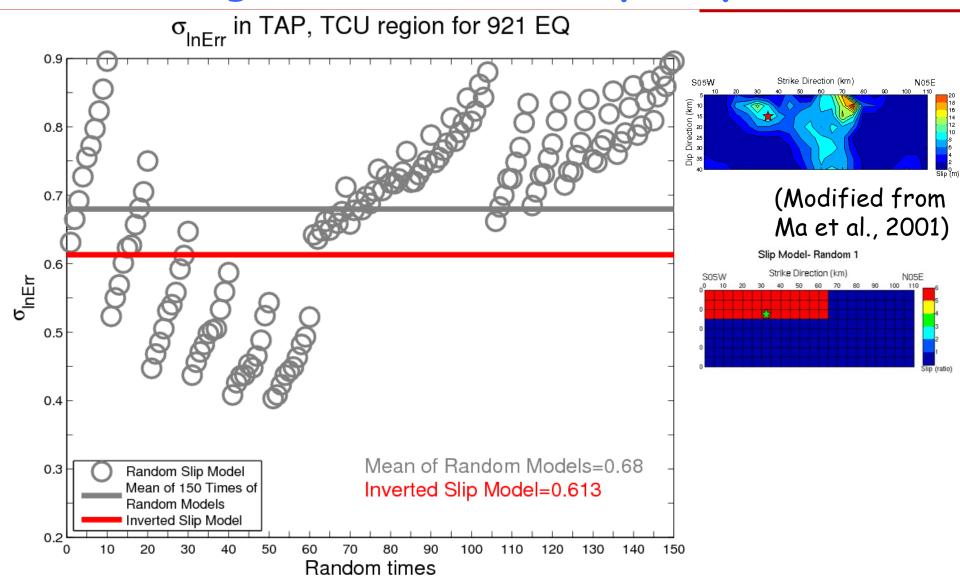
Sa: Total Area of Fault.

(follow Japan's Recipe:

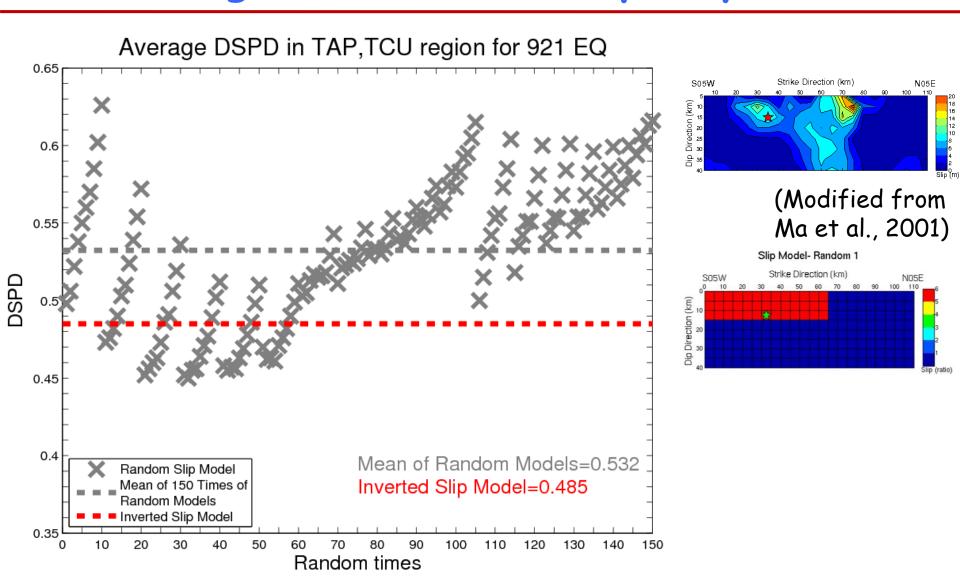
Irikura et al., 2004; NIED, 2009; Irikura and Miyake, 2011)



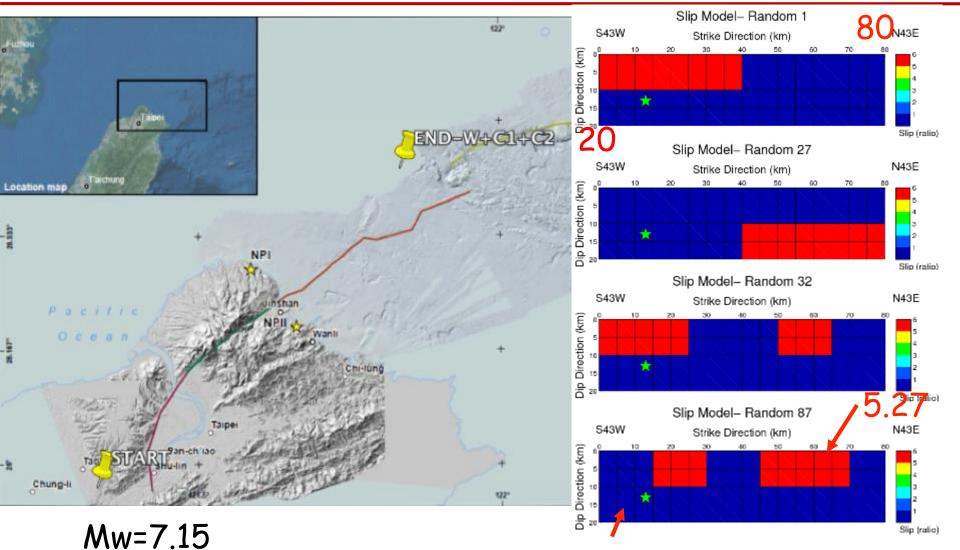
Applications- identify possible ground motion range from random asperity model



Applications- identify possible ground motion range from random asperity model

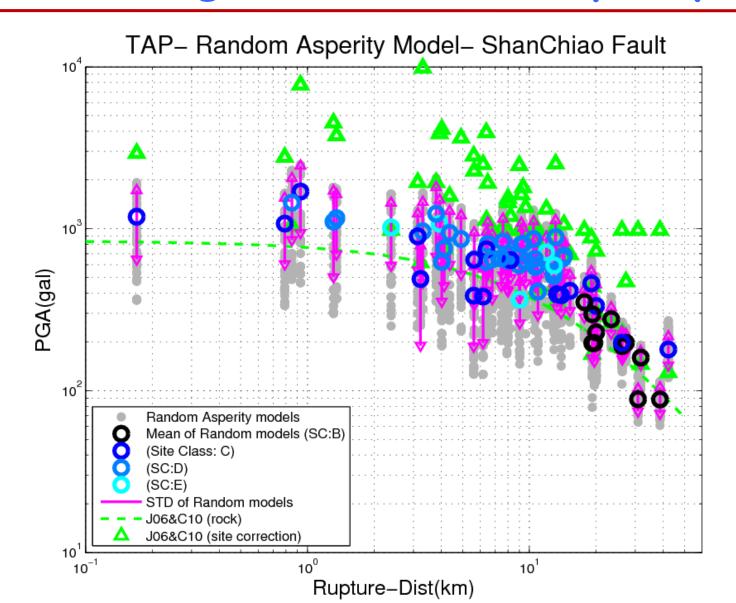


Applications - identify possible ground NARLabs motion range from random asperity model



Slip Ratio for each subfaults= 1

Applications- identify possible ground motion range from random asperity model



Applications - applied to EEW in SANTARLabs from grid search point source simulation

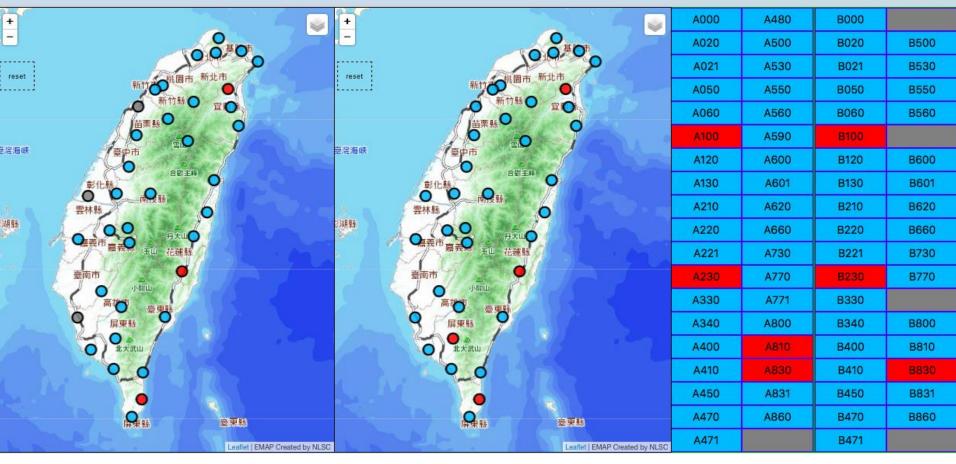
Seismic Array of NCREE in TAiwan (SANTA)

Load Time: Tue Nov 14 03:07:47 2017

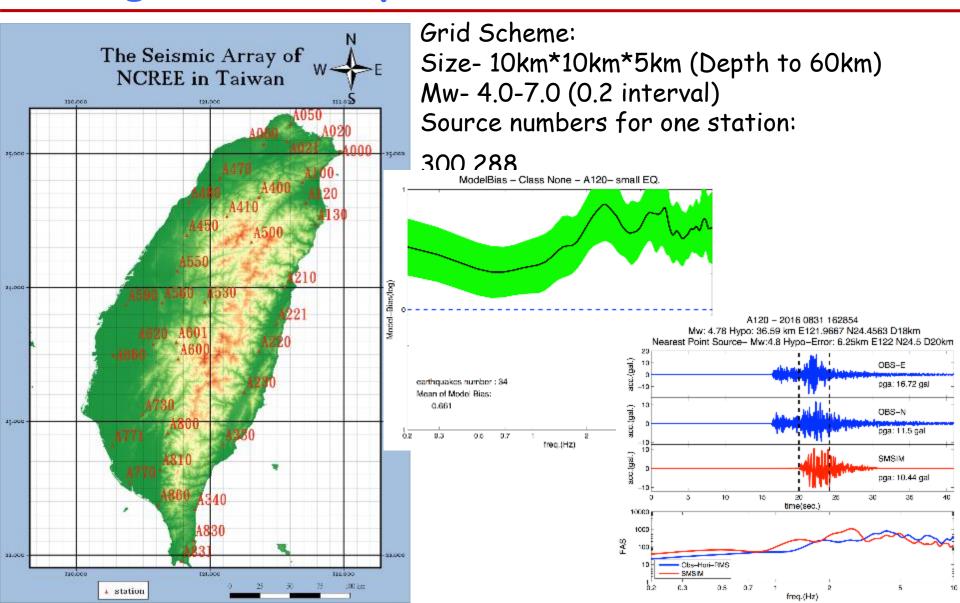
Strong Motion (SM)

Broadband (BB)

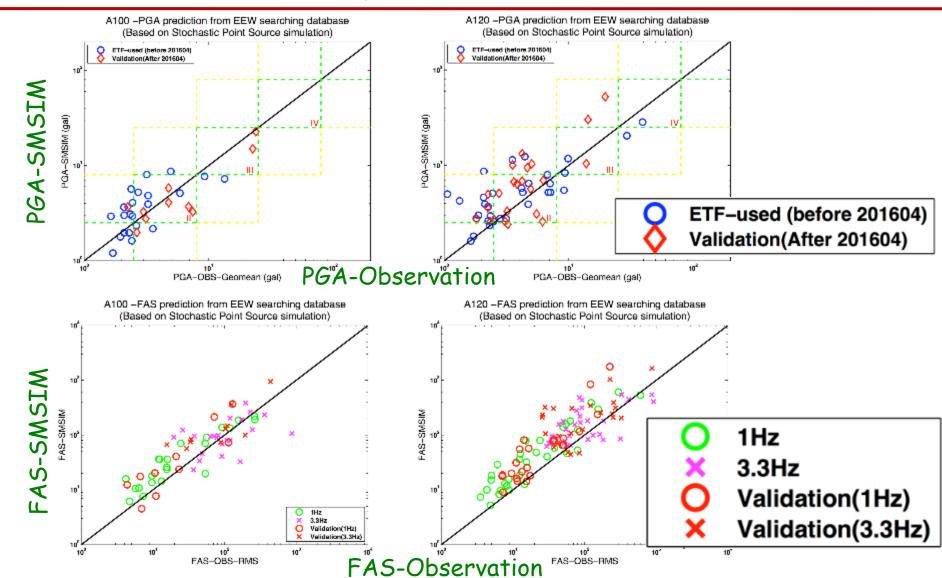




Applications- applied to EEW in SANMARLabs from grid search point source simulation

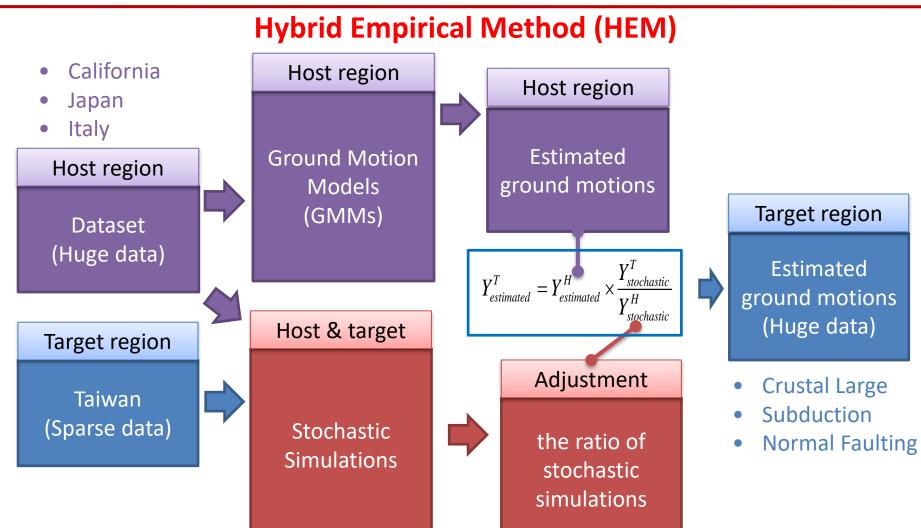


Applications- applied to EEW in SANTARLabs from grid search point source simulation









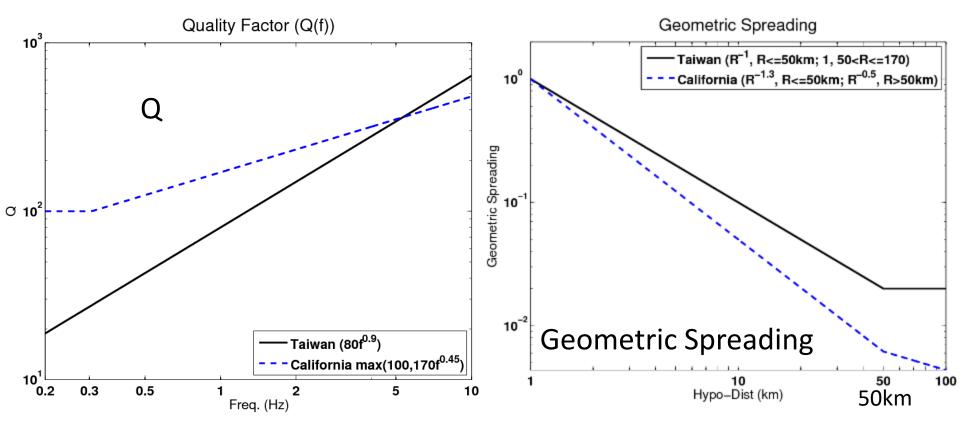
- Calibration of stochastic model for Target region
- Search the well proofed stochastic models for Host region



Applications - host to target adjustment factor for GMPE

*From Stochastic Simulation models

Case study for shallow earthquake of California & Taiwan



Faster attenuation from California against Taiwan



Applications - host to target adjustment factor for GMPE

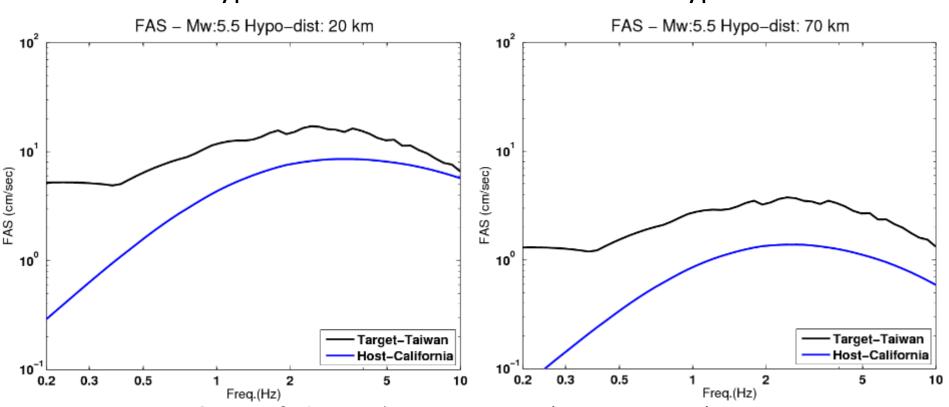
*From Stochastic Simulation models

Case study for shallow earthquake of California & Taiwan



Mw 5.5 Hypo-Dist: 20km

Mw 5.5 Hypo-Dist: 70km



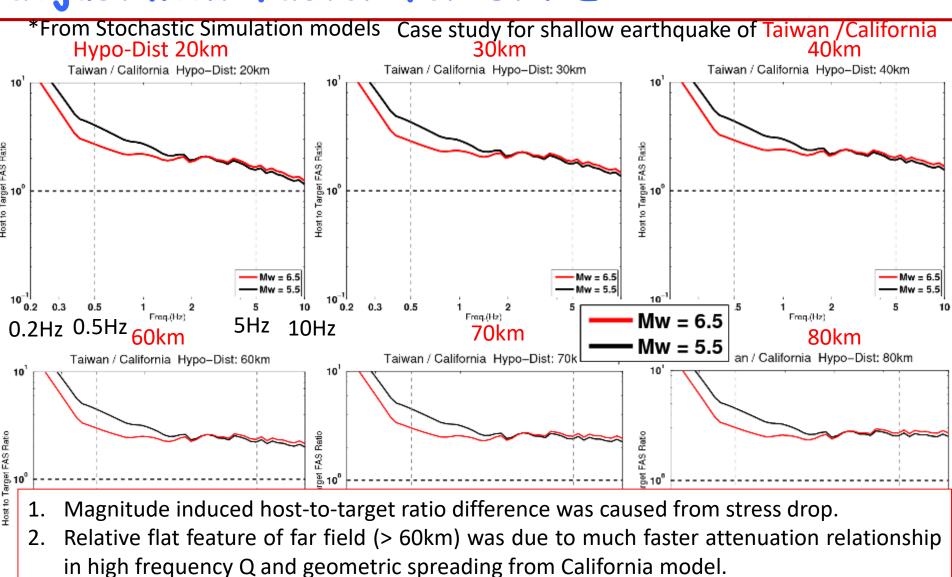
FAS of Ground motion simulation were larger in Taiwan than in California in 0.2-10 Hz.



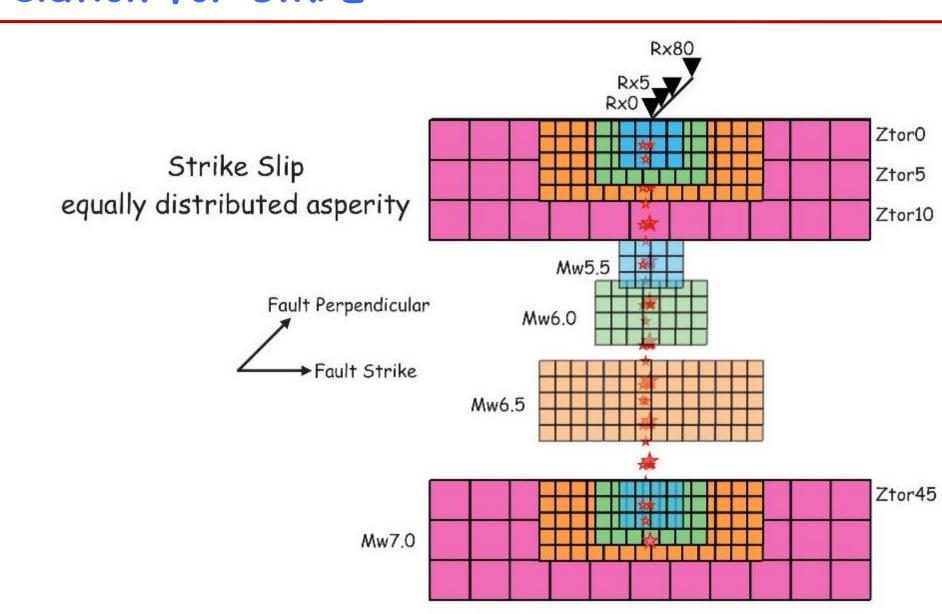
Applications - host to target adjustment factor for GMPE

0.2 0.3

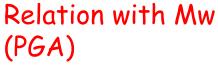
Freq.(Hz)



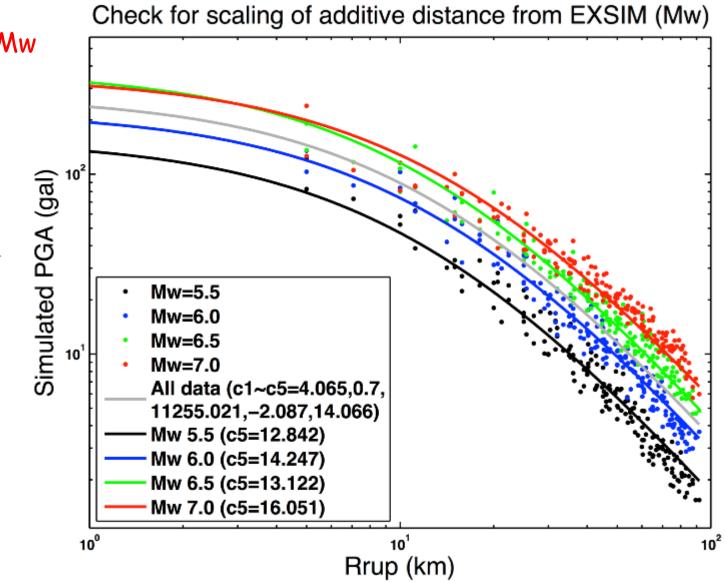
Applications - simulating depth scaling NARLabs relation for GMPE



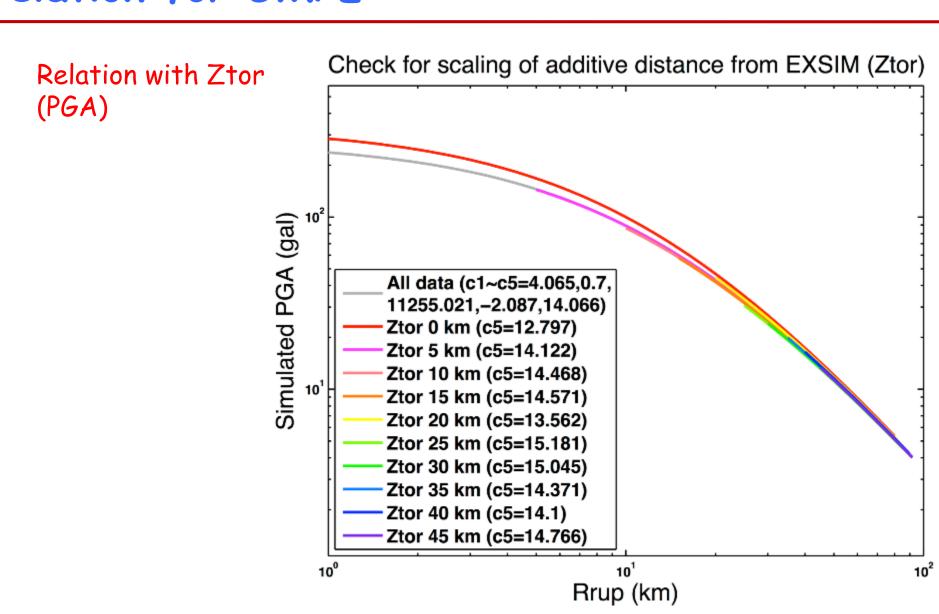
Applications - simulating depth scaling NARLabs relation for GMPE



c1~c5 are fitted from all data first.
 Fix c1~c4, regress c5 for different dataset



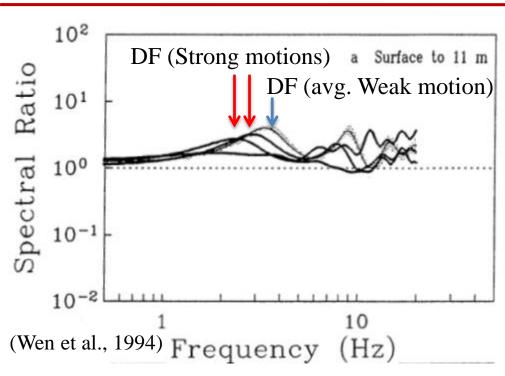
Applications - simulating depth scaling NARLabs relation for GMPE



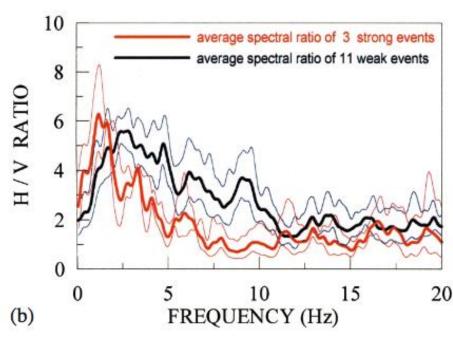
Applications - simulating depth scaling NARLabs relation for GMPE

			R	Range of case Ry			Grea	Greater than average		
							Lowe	er tha	n avera	age
c5 value	All data	Mw 5.5	Mw 6	.0	Mw 6	.5	Mw 7	7.0		
PGA	14.1	12.8	14.2	,	13.1	13.1		1	14.9-	17.1
PSA 0.2 sec	16.2	15.2	16.3	l	15.6		17.8		18.2-20.1	
PSA 2 sec	13.5	12.4	13.6)	12.9)	14.	9	15.8-	17.6
c5 value	Ztor 0	Ztor 5	Ztor 10	Z	tor 15	Zto	or 20			
PGA	12.8	14.1	14.5		14.5	1	3.6	14.	7-17	
PSA 0.2 sec	14.7	16.1	16.6		16.6	1	6.7	17.	8-19.7	
PSA 2 sec	12.0	13.5	13.8		13.8	1	4.0	15.	4-17.4	
c5 value	Ztor 25	Ztor 30	Ztor 35	Z	tor 40	Zto	r 45			
PGA	15.2	15.0	14.4		14.1	14	4.8			
PSA 0.2 sec	16.7	16.7	16.8		17.1	17	7.3			
PSA 2 sec	13.7	13.9	14.1		14.3	14	4.7			





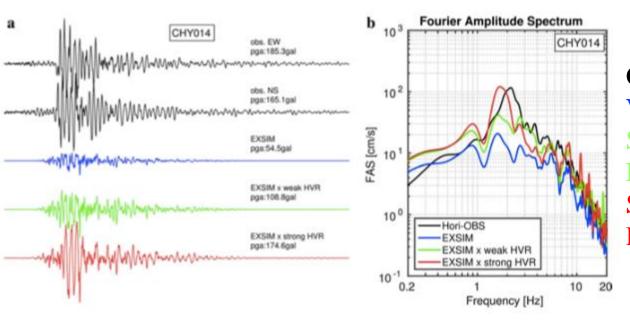
Dominant frequency (DF) drop from LSST array in Taiwan using spectral ratio method (Soil to Rock).



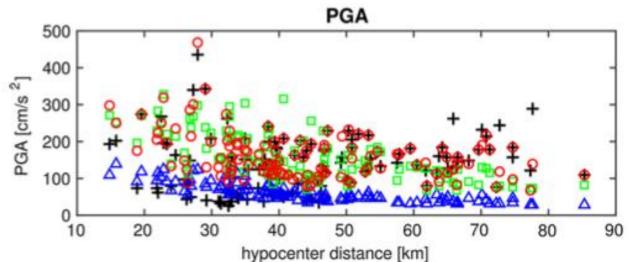
(Wen et al., 2006)

DF drop & de-amplification of high frequency from LSST array in Taiwan using HVSR.



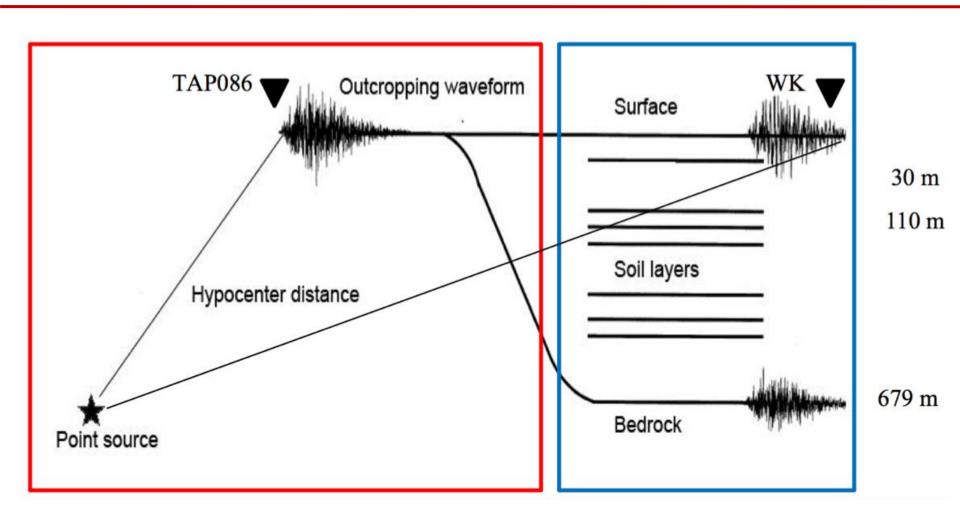


Observation VHR Simulation Site Correction with HVSR of weak motions Site Correction with HVSR of main shock



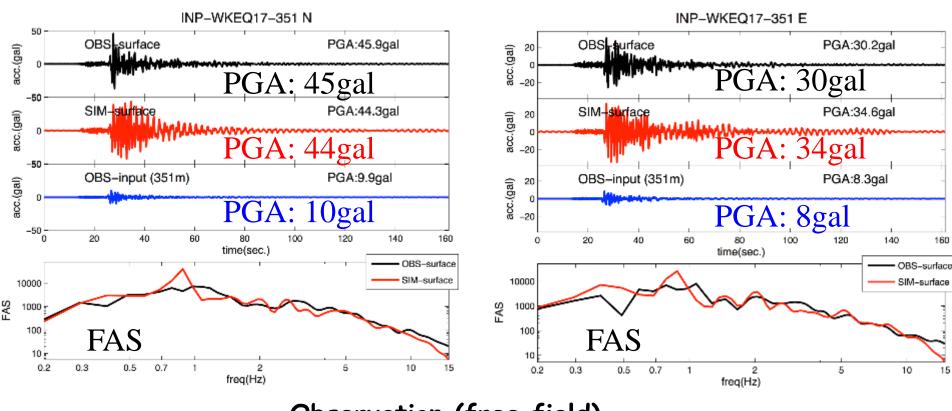
(Chen et al., 2017)







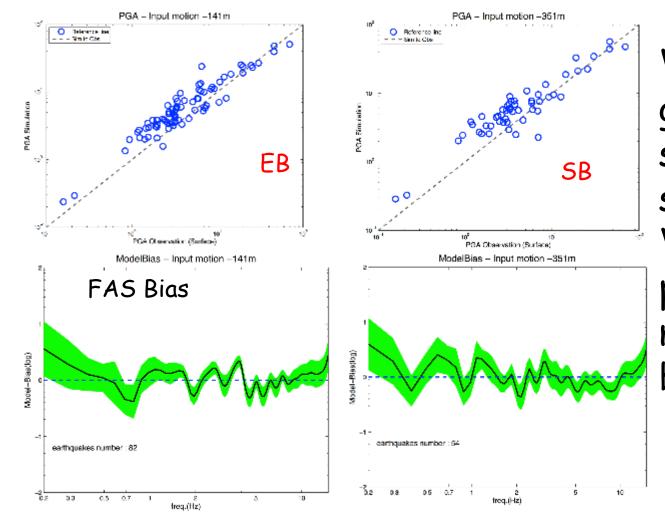
Validation of structures of WK downhole from equivalent linear method



Observation (free field)
Simulation (to free field)
Input Motion (Observation, SB)

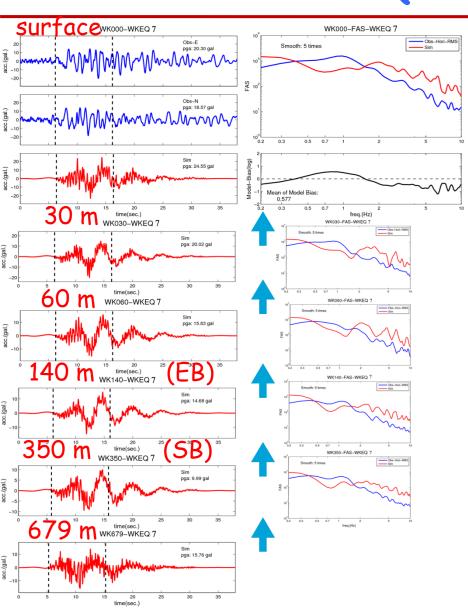


Input motion from observation in SB-351m and EB-141m

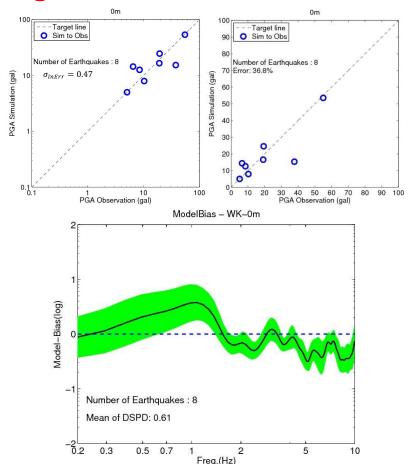


Velocity and geological structure were suitable for WK borehole to predict ground motion from both EB and SB



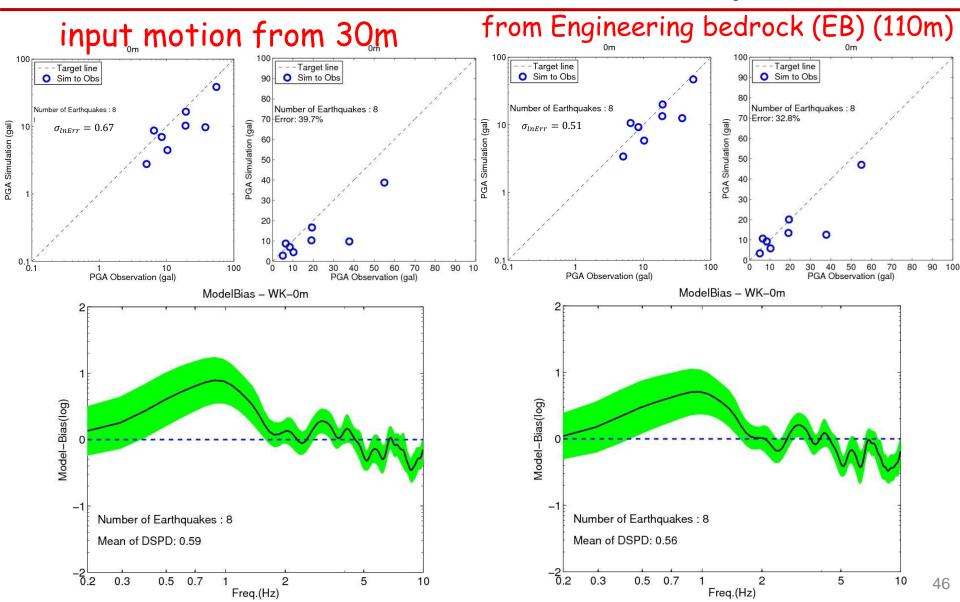


Example of simulations, input motion from SMSIM on geological bedrock (679m)

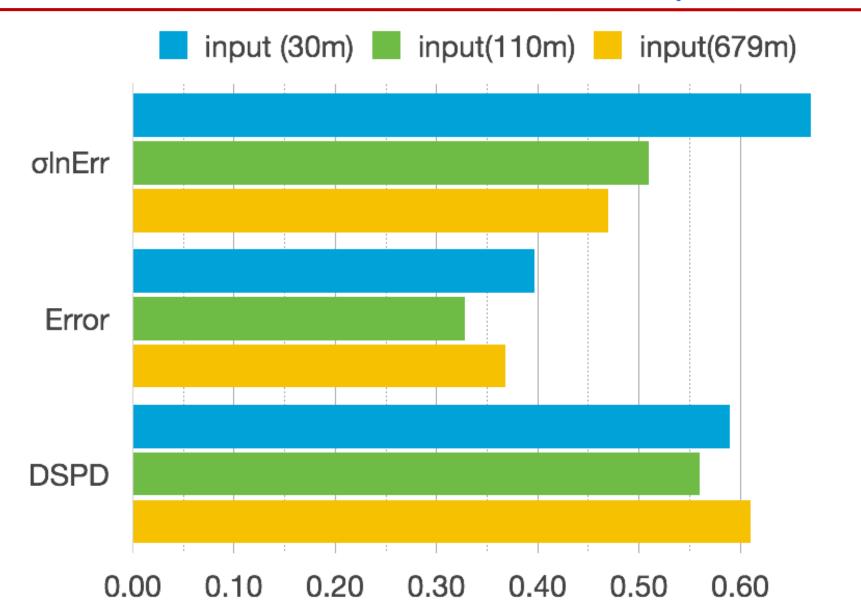


Motion Simulation (with nonlinearity)











Thanks for your attention



Acceleration spectrum

$$Y(M_0, R, f) = E(M_0, f)P(R, f)G(f)$$

$$E(M_0, f) = C \operatorname{onst} \cdot M_0 S(M_0, f)$$

Source term
$$S(M_0, f) = \frac{4\pi^2 f^2}{R_1 (1 + (f/f_0)^2)}$$

$$S(M_0, f) = \frac{4\pi^2 f^2}{R_1 (1 + (f/f_0)^2)}$$

$$f_0 = 4.9 \times 10^6 \beta (\Delta \sigma / M_0)^{1/3}$$

$$\log_{10} M_0 = 1.5 M_w + 16.1$$

Const =
$$\frac{R_{\theta\phi} \cdot V \cdot F}{4\pi\rho\beta^3} = \frac{0.777818e^{-20}}{4\pi\rho\beta^3}$$

$$P(R, f) = exp[-\pi f R/Q(f)\beta]$$

Path term

$$G(f) = Amp(f)Damp(f)$$

$$Amp(f) = Af^3 + Bf^2 + Cf + D$$

$$Damp(f) = e^{-\pi \kappa_0 f}$$



Acceleration spectrum (nature log)

$$\ln Y = \ln \left(\frac{0.777818e^{-20}}{4\pi\rho\beta^3} \cdot \frac{\text{Source term}}{R_1(1+(f/f_0)^2)} \cdot (Af^3 + Bf^2 + Cf + D) \right)$$

$$= \ln \left(\frac{0.777818e^{-20}}{4\pi\rho\beta^3} \cdot \frac{4\pi^2f^2}{R_1(1+(f/f_0)^2)} \cdot (Af^3 + Bf^2 + Cf + D) \right)$$

$$= \frac{10}{4\pi\rho\beta^3} \cdot \frac{4\pi^2f^2}{R_1(1+(f/f_0)^2)} \cdot (Af^3 + Bf^2 + Cf + D) \right)$$

$$= \frac{10}{4\pi\rho\beta^3} \cdot \frac{4\pi^2f^2}{R_1(1+(f/f_0)^2)} \cdot (Af^3 + Bf^2 + Cf + D)$$

$$= \frac{10}{4\pi\rho\beta^3} \cdot \frac{10}{R_1(1+(f/f_0)^2)} \cdot (Af^3 + Bf^2 + Cf + D)$$

$$= \frac{10}{R_1(1+(f/f_0)^2)} \cdot \frac{R_1(1+(f/f_0)^2)}{R_1(1+(f/f_0)^2)} \cdot (Af^3 + Bf^2 + Cf + D)$$

$$= \frac{10}{R_1(1+(f/f_0)^2)} \cdot \frac{R_1(1+(f/f_0)^2)}{R_1(1+(f/f_0)^2)} \cdot (Af^3 + Bf^2 + Cf + D)$$

$$= \frac{10}{R_1(1+(f/f_0)^2)} \cdot \frac{R_1(1+(f/f_0)^2)}{R_1(1+(f/f_0)^2)} \cdot (Af^3 + Bf^2 + Cf + D)$$

$$= \frac{10}{R_1(1+(f/f_0)^2)} \cdot \frac{R_1(1+(f/f_0)^2)}{R_1(1+(f/f_0)^2)} \cdot (Af^3 + Bf^2 + Cf + D)$$

$$= \frac{10}{R_1(1+(f/f_0)^2)} \cdot \frac{R_1(1+(f/f_0)^2)}{R_1(1+(f/f_0)^2)} \cdot (Af^3 + Bf^2 + Cf + D)$$

$$= \frac{10}{R_1(1+(f/f_0)^2)} \cdot \frac{R_1(1+(f/f_0)^2)}{R_1(1+(f/f_0)^2)} \cdot (Af^3 + Bf^2 + Cf + D)$$

$$= \frac{10}{R_1(1+(f/f_0)^2)} \cdot \frac{R_1(1+(f/f_0)^2)}{R_1(1+(f/f_0)^2)} \cdot \frac{R_1(1+(f/f_0)^2)}{R_1(1+(f/f_0)^2)}$$

Select inverted parameters (optionally)

∂Q∂eta

 $\partial^2 \ln y$

 ∂f_0^2

Hessian matrix

 $\partial^2 \ln y$

 $\partial Q \partial \kappa_0$

Partial differential for each parameters

(Q, eta,
$$\beta$$
, ρ , R_0 , M_w , f_0 , gamma, κ_0 , R)

$$\frac{\partial^2 \ln y}{\partial Q^2} \qquad \frac{\partial^2 \ln y}{\partial Q \partial e t a} \qquad \frac{\partial^2 \ln y}{\partial Q \partial f_0}$$

$$\frac{\partial^2 \ln y}{\partial Q \partial e t a} \qquad \frac{\partial^2 \ln y}{\partial Q \partial f_0}$$

$$rac{\partial^2 \ln y}{\partial ext{eta} \partial \kappa_0}$$
 $rac{\partial^2 \ln y}{\partial ext{f}_0 \partial \kappa_0}$
 $rac{\partial^2 \ln y}{\partial ext{constant}}$

 $\partial Q \partial f_0$

 $\partial^2 \ln y$

 $\partial Q \partial eta$ ∂eta^2

•

•

 $\frac{\partial^2}{\partial x}$



*Levenberg-Marquardt algorithm

$$p_{j+1} = p_j + \beta_{LM}(p_j)$$

$$\beta_{LM}(p) = (\ln Y_{OBS} - \ln Y) \cdot \frac{\partial y}{\partial p}$$

$$p = Inverted Parameters$$

$$j = Iterations$$

$$\chi^{2} = \sum \left(\frac{(\ln Y_{OBS} - \ln Y)^{2}}{SIGMA^{2}} \right); \text{ SIGMA} = 1$$

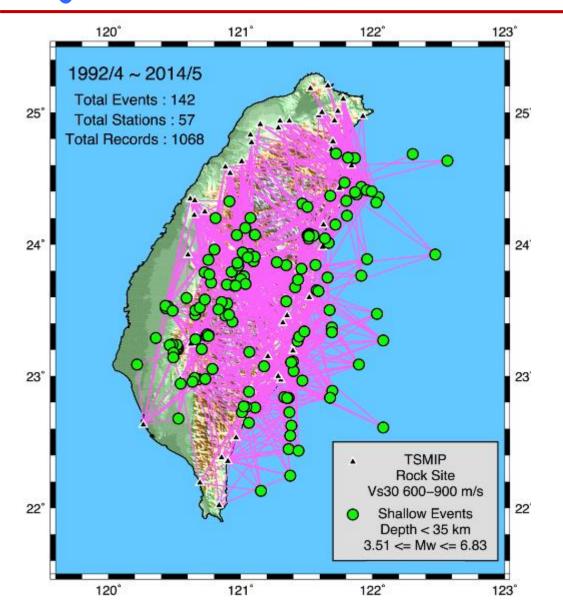
$$\longrightarrow$$
 Calculate $ln(Y)_{j+1}$ using p_{j+1}

$$\lambda_{j+1} = 0.1 \lambda_j$$
; when $\chi^2_{j+1} < \chi^2_j$ $\lambda_{j+1} = 10 \lambda_j$; when $\chi^2_{j+1} \ge \chi^2_j$

Do while
$$\left|\chi^{2}_{j} - \chi^{2}_{j-1}\right| < tol \& \left|\chi^{2}_{j-1} - \chi^{2}_{j-2}\right| < tol$$
Manually setting

NARLabs

Applications - host to target adjustment factor for GMPE



- TSMIP 1992-2014
- Mw>3.5
- Rrup <100km
- Rock Site
 (600<=Vs30<=900m/s)
- 142 Events
- 57 Stations
- 1068 FAS records



1/R

Initial Model for inversion

Vs (β)	3.6 km/s				
Density (ρ)	2.8 gm/cc				
Q	80f ^{0.7}				
Карра (к)	0.0518				
Stress drop (Δσ)	100 bar				
Geometric	1/0				

spreading

Crustal Amplification Function (depth 16km) 10 Kuo d16 Hea07 C Hea07 D Hea07 E Hea09 B 5 ----- Hea09 C -Hea09 D - Hea09 E ---- Kuo_d16+k Amplification Sea07 B 0.1 10 100 0.01 Freq[Hz]

(Kuo et al., 2016, Taiwan SSHAC L3, WM#2)

NARLabs

Applications - host to target adjustment factor for GMPE

Inverted parameters:

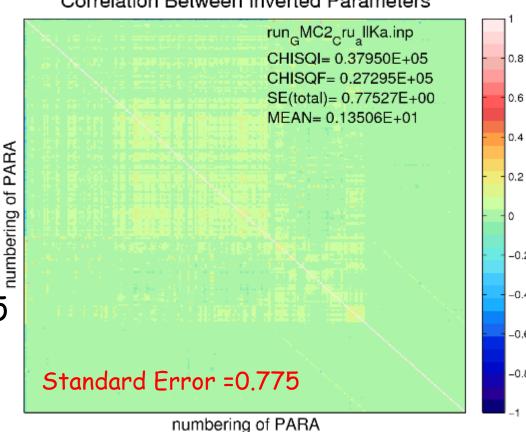
Q, Fc, Kappa, Amplification function

Solution:

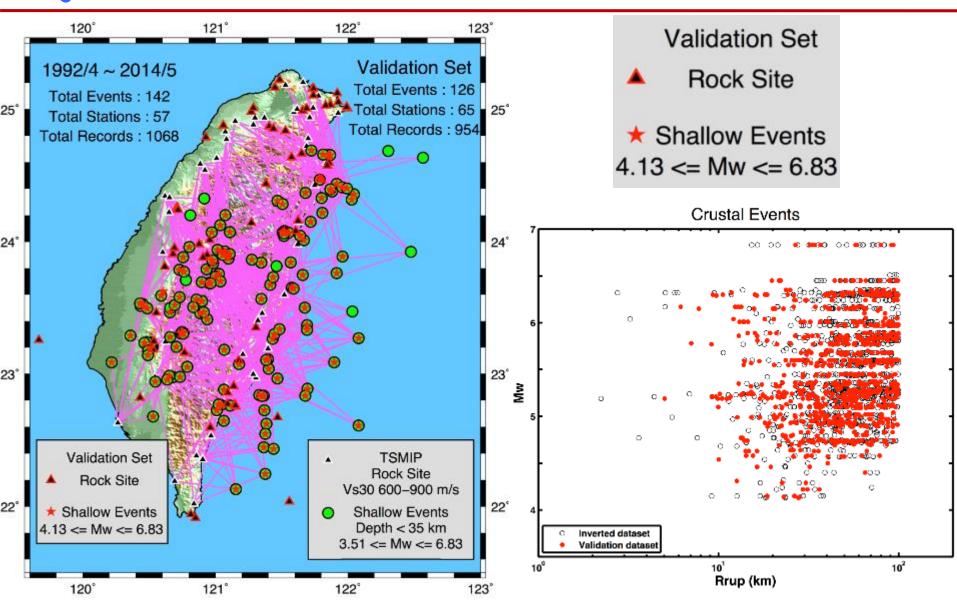
- $Q = 205f^{0.7}$
- Kappa = 0.0398
- Amplification (D) = 0.65

Covariance Matrix

Correlation Between Inverted Parameters









Residual plots

